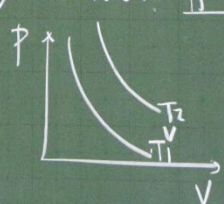
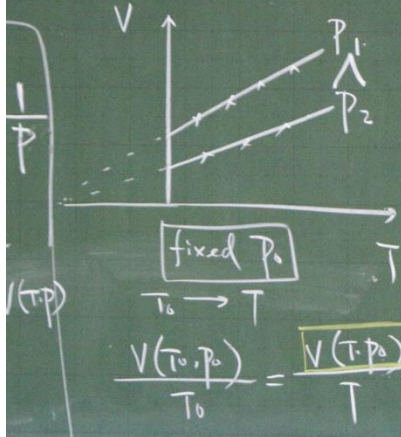


$Z = Z(x, y)$ function?
 State State
 $\text{State 1} \rightarrow \text{State 2}$
 $\Delta Z = ? = \int_1^2 dz = \int M dx + \int N dy$
 $dz = \left(\frac{\partial Z}{\partial x}\right)_y dx + \left(\frac{\partial Z}{\partial y}\right)_x dy$
 $dz = M \cdot dx + N \cdot dy$
 x, y indep. variables

$\} \text{ Equation of state}$
 e.g. of Ideal Gas
 $V = V(T, p) = ?$
 Boyle's Law: $\text{Fixed } T$ $V \sim \frac{1}{P}$

 $P_0 \rightarrow P$
 $P_0 V(T, P_0) = P V(T, P)$

Charles's Law: fixed P

$$V \sim T \Rightarrow \frac{V}{T} \approx \text{const.}$$



$$P_0 \cdot \frac{T}{T_0} \cdot V(T_0, P_0) = P \cdot V(T, P)$$

$$\frac{P_0 \cdot V_0(T_0, P_0)}{T_0} = \frac{P \cdot V(T, P)}{T}$$

conclusion: $\frac{P_0 V_0}{T_0} = \frac{P V}{T} = \text{const} = ?$

Avogadro's hypothesis:

"g-mole" ideal gas

at $T = 0^\circ\text{C}$, $P = 1 \text{ atm}$

$$V = 22.4 \text{ l}$$

Gas Constant

$$R = \frac{1 \text{ atm} \cdot 22.4 \text{ l}}{\text{mole} \cdot 273}$$

$$= 0.082057 \frac{\text{atm} \cdot \text{l}}{\text{mole} \cdot \text{K}} =$$

∴ Eq. of state: $PV = nRT$

$$PV' = nRT$$

$$V = \frac{V'}{n}$$

* Temperature Scale

H ₂ O	ice: 0°C	32°F
	Boiling: 100°C	212°F

"permanent gas"

1802. Lavois & Laplace:

thermal expansion coeff. \Rightarrow constant

$$\alpha = \frac{1}{V} \left(\frac{\partial V}{\partial T} \right)_P$$

0°C $V = V_0$

$$\alpha \approx \frac{1}{273}$$

* Temperature Scale

H ₂ O	ice: 0°C	32°F
	Boiling: 100°C	212°F

"permanent gas"

1802. Luv3 & Lussac:

thermal expansion coeff. \Rightarrow constant

$$\alpha = \frac{1}{V} \left(\frac{\partial V}{\partial T} \right)_P$$

0°C V = V₀

$$\alpha \approx \frac{1}{273}$$

-273°C



Lowest T

\Rightarrow Kelvin

g - m

* Temperature Scale

H ₂ O	ice: 0°C	32°F
	Boiling: 100°C	212°F

"permanent gas"

1802. Luv3 & Lussac:

thermal expansion coeff. \Rightarrow constant

$$\alpha = \frac{1}{V} \left(\frac{\partial V}{\partial T} \right)_P$$

0°C V = V₀

$$\alpha \approx \frac{1}{273}$$

2

n = 22.4 l

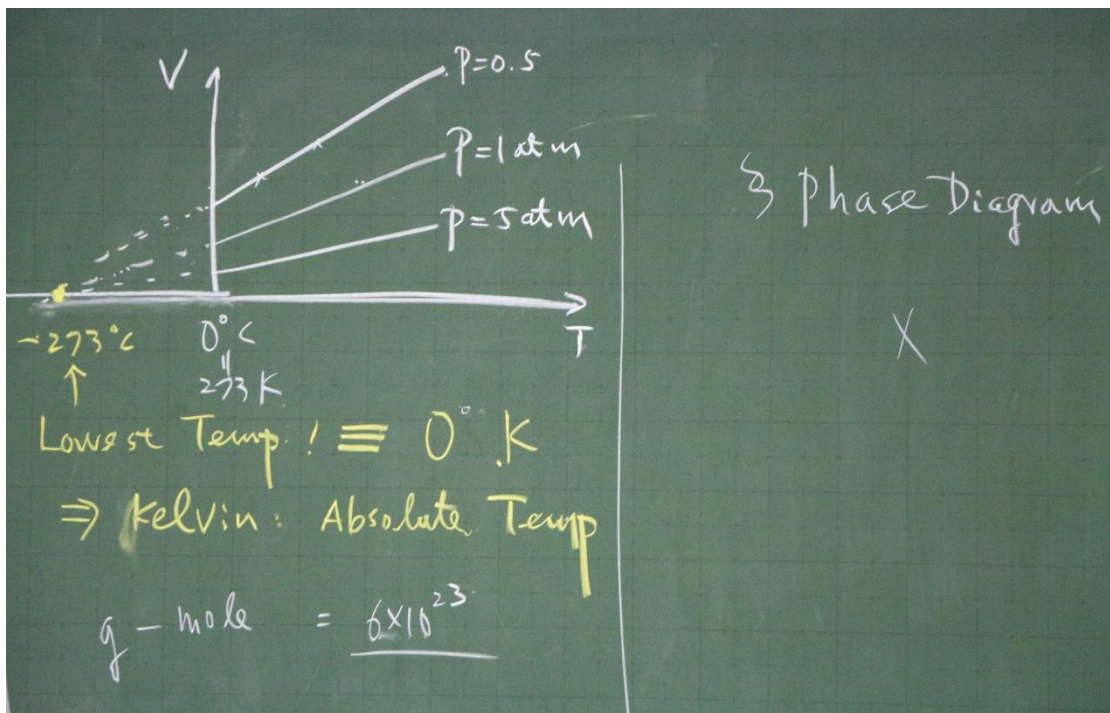
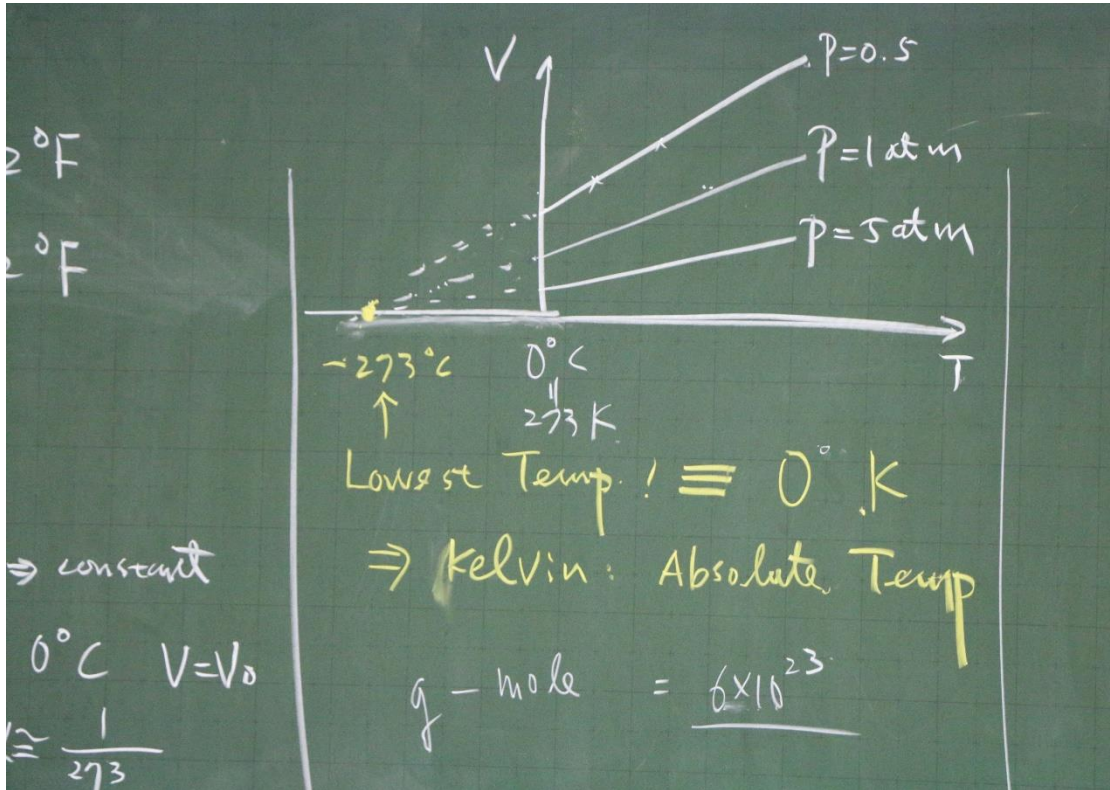
273

$$2057 \frac{\text{atm} \cdot \text{l}}{\text{mole} \cdot \text{K}} =$$

note: $PV = nRT$

$$PV' = nRT$$

$$V = \frac{V'}{n}$$



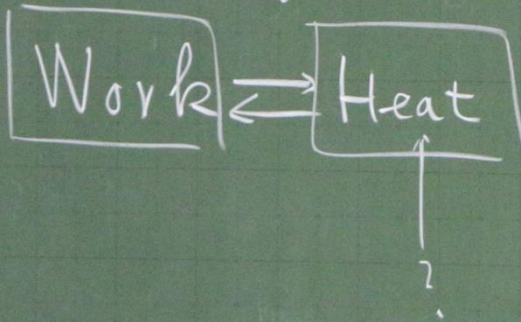
Ch. 2. First Law

ch. 2.

Second Law

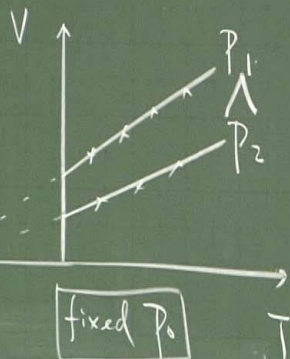
ch. 3

"Energy" conversion



Charles's Law: fixed P

$$V \sim T \Rightarrow \frac{V}{T} \approx \text{const.}$$



$$\frac{V(T_0, P_0)}{T_0} = \frac{V(T, P_0)}{T}$$

$$P_0 \cdot \frac{T}{T_0} \cdot V(T_0, P_0) = P \cdot V(T, P)$$

$$\frac{P_0 \times V_0(T_0, P_0)}{T_0} = \frac{P \cdot V(T, P)}{T}$$

conclusion: $\frac{P_0 V_0}{T_0} = \frac{P V}{T} = \text{const} = ?$

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$$V = 22.4 \text{ L}$$